

1 **Observation of universal “ageing” dynamics in antibiotic persistence**

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6 **Stress response in cells is understood as an organized response that allows cells to adapt to**  
7 **changes in external conditions by activating specific pathways. Here we investigate the**  
8 **dynamics of single cells when perturbed by an acute stress that is too strong for a regulated**  
9 **response but not lethal. We show that when the growth of bacteria is arrested by transient**  
10 **exposure to strong inhibitors, the statistics of their regrowth dynamics can be predicted by a**  
11 **model for the cellular network that ignores most of the details of the underlying molecular**  
12 **interactions. By measuring the regrowth dynamics after stress exposure on thousands of cells,**  
13 **we show that the model can predict the outcome of antibiotic persistence**  
14 **measurements. Further experiments under different stress conditions support the predictions**  
15 **of the model. Our results may account for the ubiquitous antibiotic persistence phenotype, as**  
16 **well as for the difficulty in attempts to link it to specific genes. More generally, our approach**  
17 **suggests that two different cellular states can be observed under stress: a regulated state, which**  
18 **prepares cells for fast recovery, and a disrupted cellular state due to acute stress with slow and**  
19 **heterogeneous recovery dynamics. The latter may be described by general properties of large**  
20 **random networks rather than by specific pathway activation. Better understanding of the**  
21 **disrupted state could shed new light on the survival and evolution of cells under stress.**

22 Stress responses at the level of a single cell have been studied in many biological systems<sup>1,2</sup>.  
23 For example, when nutrients become scarce, cells can adapt by upregulating intracellular  
24 production, increasing import or switching to a different metabolism that prepares cells for  
25 survival, and regrowth when nutrients become available<sup>3</sup>. Many stress response pathways  
26 have been mapped, leading to the understanding of the mechanisms used by cells to cope  
27 with changing conditions<sup>4</sup>. However, when subjected to acute stress, which is too strong  
28 for the stress response to kick in, the behavior of cells is much less understood. In  
29 particular, even under mild stress, some sub-populations of cells may be in a disrupted state  
30 that prevents them from upregulating a stress response. Evidence for such single cell  
31 heterogeneity under stress is found in many different organisms. An example of such

32 heterogeneity is observed in triggered antibiotic persistence<sup>5-7</sup>. When microorganisms are  
33 exposed to starvation, or other stresses, resulting in growth arrest, a small sub-population  
34 is frozen in a dormant state which is maintained for a long time even when the cells are  
35 transferred back to growth conditions. An example of this extended lag time is shown in  
36 Fig. 1. After a period of growth, *E.coli* bacteria reached starvation, arresting their growth.  
37 When starvation conditions were replaced with fresh medium (Fig. 1A), bacteria resumed  
38 growth stochastically and the lag time for each bacterium was determined using an  
39 automated system (ScanLag setup<sup>8</sup>). A typical lag time distribution is shown in Fig. 1B. In  
40 contrast to the majority population that was able to resume growth shortly after being  
41 switched to fresh nutrients, a tail of long lag bacteria is observed. While this transient  
42 dormant state typically bears a fitness cost, it becomes protective if the dormant cells are  
43 then exposed to lethal antibiotics which require active growth to kill the bacteria<sup>6,9-11</sup> (Fig.  
44 1A). This better ability of dormant cells to survive is distinct from resistance, which allows  
45 bacteria to grow in the presence of antibiotics<sup>7</sup>. In Fig. 1C we show that the antibiotic  
46 persistence level, i.e. the fraction of surviving bacteria after an antibiotic treatment,  
47 correlates with the tail of the lag time distribution. Because the antibiotic is not effective  
48 for killing the non-growing bacteria (still in the lag phase), the bacteria that have a lag time  
49 longer than the antibiotic treatment are protected, also termed “persistence-by-lag”<sup>12,13</sup>.  
50 This result is in agreement with previous findings<sup>8,14-16</sup> and was reproduced using strains  
51 and conditions that span different triggered persistence levels (Fig. 1C). We conclude that  
52 understanding what shapes the stochastic exit from dormancy, i.e. the lag time distribution,  
53 enables predicting the triggered persistence level, as studied below.

54 Despite 20 years of research into the pathways regulating antibiotic persistence<sup>17</sup> and  
55 leading to the long lag bacteria, no clear unified molecular understanding of this clinically  
56 relevant phenotype<sup>18</sup> has emerged. In this work, we show that the extended lag is the result  
57 of bacteria unable to overcome the stressful conditions imposed by starvation and entering  
58 a disrupted state. More generally, we propose a theoretical and experimental framework  
59 for the analysis of dynamics of cells exposed to acute stress which is beyond their adaptive  
60 potential, but not lethal, leading to a disrupted state. We focus on the quantitative  
61 measurements of the recovery of single cells from the disrupted state and show that they  
62 can be described by the general features of a model that ignores most of the details of

63 specific cellular pathways. The universal behavior predicted by the model was able to  
64 predict the antibiotic persistence level as well as the quantitative dynamics of recovery  
65 from different stresses.

66

### 67 **Memory effect following acute stress**

68 To determine quantitatively how the lag time distribution depends on starvation duration  
69 under acute stress conditions, we added serine hydroxamate (SHX) to exponentially  
70 growing cultures of *E.coli*. SHX induces the starvation for the amino acid serine which  
71 triggers the stringent response and results in a growth arrest<sup>19</sup> (Fig. 2A). In order to impose  
72 an acute stress that the bacteria cannot overcome and be further away from a regulated  
73 stress response, we used a relaxed mutant of the stringent response. Observations at the  
74 single cell level in microfluidic devices show that exposure to SHX results in the growth  
75 arrest of the bacteria and rule out that the growth arrest observed at the level of the  
76 population is a balance of death and growth (Fig. 2D,E).

77 We monitored the dynamics of the recovery after the growth arrest imposed by SHX for a  
78 duration  $T_w$ , by measuring the distribution of lag times once the SHX is removed. In  
79 agreement with previous results under other stress conditions<sup>8,14,15</sup>, we found that the longer  
80 the duration of SHX exposure, the longer the tail of the distribution that dominates the  
81 antibiotic persistence level (Fig. 2B,C), with bacteria lagging for more than day . This  
82 suggested that the bacteria keep a memory of the total duration of SHX exposure. This  
83 memory is not due to stable genetic changes because repeating the same experiment for a  
84 culture started from a late appearing colony again depended on the starvation time<sup>8</sup> (Fig.  
85 S1C,D). In agreement with recent results, we observed that the distributions display a long  
86 tail, which is also reflected in the tail of the killing curve under antibiotic treatments<sup>20</sup>.  
87 Whereas an exponential decay is the expected behavior of a stochastic process with one  
88 characteristic time and is often observed in the initial killing of microorganisms by  
89 antibiotics, the tail of persisters in wild-type *E.coli* cannot be fitted with a single  
90 exponential decay<sup>6,20</sup>. One explanation for the appearance of a long tail after SHX exposure  
91 may be because the short lag bacteria are killed by the SHX itself, which would enrich for  
92 the long lag bacteria. We ruled this factor out by showing that the viability under SHX

93 stayed nearly constant (Fig. S1A) and by direct observation of *E.coli* bacteria before,  
94 during and after exposure to SHX in a microfluidic device<sup>21</sup> (Fig. 2D,E). Delays due to the  
95 SHX diffusion were ruled out (Supplementary information). We conclude that the lag time  
96 distribution following exposure to SHX reflects the changes that occurred in each single  
97 cell, increasing the probability for extremely long recovery times that keep a memory of  
98 the starvation duration. In order to further understand this phenomenon, we first search for  
99 a theoretical model with similar features.

100

### 101 **“Ageing” as a universal property of random highly connected networks**

102 The memory of the duration of a perturbation observed above (here SHX exposure for  
103 duration  $T_w$ ), as well as the non-exponential relaxation, has an equivalent in many physical  
104 systems that display “ageing”<sup>22</sup>, ranging from amorphous polymers<sup>23</sup>, stretched DNA<sup>24</sup>,  
105 crumpling<sup>25,26</sup>, colloidal solutions, spin and coulomb glasses<sup>27</sup>. A physical system exhibits  
106 “ageing” if its relaxation after a transient external perturbation of duration  $T_w$  depends not  
107 only on its macroscopic state at the end of the perturbation but also on the conditions that  
108 led to this state<sup>28-30</sup>. For example, Struik<sup>23</sup> showed that the relaxation of amorphous  
109 polymers after a deformation depends on how the deformation was done and on its  
110 duration. He showed that the behavior was universal i.e. independent of the details of the  
111 material, and termed this phenomenon “physical ageing” (thereafter termed ageing), which  
112 is distinct from “biological ageing”<sup>31</sup>. Inspired by models for ageing in glassy systems that  
113 rely on large random networks<sup>32</sup>, we developed a model for the network of intracellular  
114 molecular interactions which govern the behavior of each single *E.coli* cell during and after  
115 exposure to acute stress. Our goal was to study a generic model, with the minimal  
116 assumptions necessary to display the observed ageing dynamics induced by the stress, and  
117 without going into the details of the molecular interactions. Similarly to neural networks  
118 modelling<sup>33</sup>, we considered a network of interacting nodes, while having feedback cycles  
119 typical of the genetic and metabolic networks of a cell. The network is built of cycles of  
120 various sizes, i.e. the numbers of nodes they contain. Each node represents a compound in  
121 the cell’s network (proteins, metabolites, etc.) that can be in one of two states representing  
122 its current activity<sup>34</sup>. The cycles represent crudely the genetic/metabolic pathways required

123 for growth, and the distribution of their size was assumed to follow a power law, similarly  
124 to the scale-free structure measured on the *E.coli* network<sup>35,36</sup> and protein life-time<sup>37</sup> (see  
125 Supplementary Information – Theory). The model, termed the “Randomly Connected  
126 Cycles Network” (RCCN), is schematically drawn in Fig. 3A and Box1. Here the up/down  
127 green arrows represent nodes in either the ON or OFF state. Exposure to SHX translates in  
128 the model as a force applied for duration  $T_w$ , tending to turn the nodes OFF, and resulting  
129 in a macroscopic state of growth arrest. Washing of SHX ends the stress and the fraction  
130 of OFF nodes relaxes back (Fig. S2A). Using the RCCN model simulations, we could  
131 observe the ageing dynamics of the relaxation (Fig. S2B). The model can be effectively  
132 described by an analytical mean field approximation that reproduces the ageing dynamics  
133 of the simulations (Fig. S2B- dashed lines) and provides an intuitive framework for  
134 understanding the dynamics of recovery after acute stress (see Supplementary Information-  
135 Theory). Ageing in the model is due to a cascade of states that need to relax in the correct  
136 order for the whole system to go back to its state before the perturbation. This results in  
137 frustration, leading to a disrupted state with a broad distribution of time scales of meta-  
138 stable states. Within our model, the lag time for recovery of each single cell is determined  
139 by the time for the fraction of OFF nodes to go back to its original value before SHX  
140 (Box1). The simulated lag time distributions, for various stress durations  $T_w$ , are plotted in  
141 Fig. 3B, together with the analytical approximation.

142

### 143 **Saturation of ageing in experimental data**

144 Both the simulations and the analytical model (Figs. 3B, S2B and Eq. S8) predict several  
145 typical features similar to those observed for physical ageing: *(i)* the lag time distribution  
146 depends on the stress duration; *(ii)* the lag time distribution contains many timescales and  
147 typically exhibits non-exponential decay; *(iii)* the lag time distribution should stop  
148 depending on stress duration for long enough stress, and therefore the persister bacteria  
149 fraction should not increase further at long stress exposure durations. We note that these  
150 predictions are robust to changes in the model’s parameters (Fig. S3).

151 The first prediction is in agreement with the data of Fig. 2B showing the strong dependence  
152 of the lag time distribution on SHX exposure times. The second prediction was confirmed

153 by plotting the higher statistics data on a log-log scale. In agreement with previous results<sup>20</sup>,  
154 we observe that the experimental lag time distribution cannot be fitted with an exponential  
155 decay and better fitted with a power law (Fig S4A and Table S3). In order to test the third  
156 prediction, we exposed the culture to longer durations under SHX (Fig. 3C). As predicted  
157 by the model, the effect of SHX stress on the lag time distribution of *E.coli* saturates around  
158  $T_w > 1000$  minutes (Fig. 3D). This result is surprising from the biological perspective:  
159 biological ageing is typically viewed as a continuous decline in the ability of the system to  
160 recover, eventually leading to death<sup>38</sup>. Here we show that, in striking similarity with ageing  
161 in physical systems, the recovery distribution is not affected by SHX stress duration, once  
162 this duration is longer than the longest time scale of the system. The lag time distribution  
163 is similar whether the culture has been under SHX for 1300 or 2000 minutes, and without  
164 a significant decline in viability<sup>39</sup> (Fig. S1A). Accordingly, and as predicted from the  
165 RCCN model, the triggered persister fraction resulting from the transient SHX exposure  
166 and measured directly from the survival under antibiotic treatment does not increase further  
167 after 1000 minutes of starvation (Fig.3E).

168 In order to test whether the ageing behavior and its saturation would generalize to other  
169 modes of strong perturbation, we subjected wild-type bacteria culture to antibiotic that  
170 blocks translation (Chloramphenicol – CAM), as well as to sodium azide, which resulted  
171 in growth arrest due to ATP depletion<sup>40</sup> and persistence (Fig. S8). These two stresses act  
172 on different pathways, also different from the ones activated by SHX<sup>41,42</sup>. In similarity to  
173 the SHX induced growth arrest, we observed ageing in the recovery dynamics from the  
174 growth arrest during CAM exposure (Fig. 4H) or sodium azide (Fig.S5).

175 We conclude that different acute stresses can lead to ageing in the dynamics of the recovery  
176 after the stress, revealing a large cell-to-cell variability.

### 177 **Gradual starvation**

178 The variability and ageing in the recovery of cells from acute stresses was explained above  
179 by the dynamics of a random network recovering from a disrupted state. The model is  
180 independent of the details of the cellular interaction network. Clearly, such a network  
181 cannot account for the regulated behavior of cells which is the result of billions of years of  
182 evolution. Therefore, we expected that when cells are exposed to similar but less acute

183 stress, genetic stress response pathways should prepare cells for recovery<sup>3,4,43,44</sup> and result  
184 in a narrow lag time distribution. In Fig. 4, we compared cultures subjected, as above, to  
185 abrupt starvation with SHX (Fig. 4A- dotted line), to bacterial cultures reaching gradual  
186 starvation, simply by letting the culture deplete the amino-acids (Fig. 4A-solid line),  
187 reaching stationary phase. We observed that, in contrast to the ageing behavior under SHX,  
188 gradual starvation did not lead to ageing, i.e. the lag time distribution did not change with  
189 starvation duration (Fig. 4C). We ruled out that the difference was due to the SHX itself,  
190 as its addition to the starved culture had no influence on the lag time distribution under  
191 gradual starvation (Fig. S6A). Furthermore, we also exposed exponentially growing culture  
192 to a gradual increase in SHX concentration, reaching the same optical density (OD) as  
193 abrupt SHX exposure (Fig. 4D). This gradual exposure to stress did not lead to aging (Fig.  
194 4F). As we expected, despite the similar conditions of the abruptly arrested (Fig. 4G) and  
195 gradually arrested cultures (Fig. 4F), the lag time distributions are very different. Whereas  
196 the gradual starvation leads to little cell-to-cell variability, with a lag time distribution  
197 consistent with a fast stochastic exit with a characteristic time of 50 minutes (Fig. S6B),  
198 the abrupt SHX starvation results in a broad distribution with time scales longer than a day  
199 (Fig. 3D,4G).

200

### 201 **Classifying stresses according to their recovery dynamics**

202 The understanding that strong stresses can drive the cell into a disrupted state, with long  
203 and widely distributed recovery time-scales, whereas stresses to which cells are adapted  
204 result in fast and organized recovery, allows to classify different stresses. As shown above,  
205 gradual starvation in minimal medium, as well as gradual exposure to SHX, allows the  
206 *E.coli* cells to adapt and reach a growth arrested state from which they emerge back in a  
207 uniform and fast time-scale (Fig. 4B,E). Similarly, starvation in saline solution does not  
208 lead to ageing (Fig. S9, S10C). However, previous observations of the lag time  
209 distributions of *E.coli* K-12 for different durations of starvation at the stationary phase in  
210 LB medium suggested that what may seem as a gradual starvation actually leads, in our  
211 framework, to a disrupted state and ageing. In order to understand this apparent  
212 contradiction, we repeated the starvation experiments in LB for two *E.coli* strains: the  
213 *E.coli* K-12, which has undergone many years of evolution in labs since its isolation from

214 the wild, and a more recent EPEC wild-type isolate. We found that starvation in LB does  
215 not lead to a disrupted state for short starvation time (typical of an overnight culture).  
216 However, starvation longer than overnight does lead to the disrupted state and ageing in  
217 the K-12 strain (Fig. S9), in agreement with our previous results<sup>8</sup>, but not for the EPEC  
218 strain (Fig. S9). In our stress classification framework, this suggests that whereas the EPEC  
219 strain of *E.coli* is adapted to longer starvation in rich medium, the lab K-12 strain may have  
220 lost the ability to recover fast from these conditions which it does not encounter in  
221 laboratory conditions<sup>3</sup>. Finally, we regroup all stress conditions into one plot showing that  
222 while most conditions can be classified as leading or not to ageing (Fig. S10C), starvation  
223 of the K-12 strain in LB has an intermediate level of ageing.

## 224 **Discussion**

225 The analogy between the disrupted state of bacteria under prolonged stress and ageing in  
226 random dynamical systems that we present here (Box1) provides a new framework for the  
227 description of the response of cells to strong perturbations<sup>45</sup>. Clearly, random networks  
228 cannot describe regulated cellular responses that rely on specific networks. In particular,  
229 cellular networks have been recently shown to suppress frustration when compared to  
230 random networks<sup>46</sup>. However, once the system is driven away from its adaptive potential,  
231 frustration is not suppressed anymore and a disrupted state is reached whose dynamics are  
232 better described statistically by a random model that ignores the details of the underlying  
233 pathways. The recovery from acute stress that we observed is characterized by three main  
234 features: ageing dynamics, saturation of ageing and broad single-cell variability. All these  
235 are robust features predicted by the RCCN model. The biochemical intuition for the  
236 frustration that characterizes the disrupted state can be understood as the inability of the  
237 genetic network to regulate the compounds that allow the cell to deal with the stress,  
238 because other compounds are missing for their production or degradation. This frustration  
239 can then propagate in the network leading to a globally dysregulated state and large cell-  
240 to-cell heterogeneity.

241 In our experiments, the natural and gradual stresses allow the cell to reach an attractor of  
242 the gene regulation network<sup>47</sup> (Fig. 4J), in which bacteria are narrowly distributed around  
243 one phenotype with one characteristic lag time, as observed for the gradual starvation in

244 minimal medium (Fig. 4C) or gradual exposure to SHX (Fig. 4F). This growth arrested  
245 stable state has been previously shown to be different from a frozen state and to actually  
246 sustain long-term protein production at a constant rate (CASP)<sup>48</sup>. More generally, it is  
247 expected that regulated responses reach stability<sup>49</sup> (Fig. 4I). Lag time for the exit from such  
248 a gradual starvation state was shown to be mainly due to pathways associated with  
249 growth<sup>50,51</sup>. In contrast, the strong and abrupt perturbations (SHX /sodium azide/CAM)  
250 disrupt the network in a way that drives its dynamics away from its biological adaptation  
251 potential and closer to the generic dynamics of the large random network (Fig.4J). The  
252 dynamics of recovery of individual bacteria from the disrupted state reveal the complexity  
253 of the intracellular dynamics, resulting in a very broad lag time distribution (Fig. 4G,H).  
254 The longer the starvation time,  $T_w$ , the longer the time-scales that are reflected in the single-  
255 cell individuality leading to antibiotic persistence. At  $T_w$  longer than about a day, ageing  
256 saturates revealing, according to the RCCN model, the longest time-scale of the cellular  
257 dynamics which is surprisingly long for *E.coli*<sup>52</sup>. The ageing dynamics features may not be  
258 related to a particular genetic pathway, but rather to the global architecture of the network.  
259 Therefore, the triggered persister cells, namely the bacteria that are protected by the  
260 extended lag time acquired following a stress, may be better described by the global  
261 dynamics of a random network rather than by a regulated response. This view is inspired  
262 by the Pash hypothesis<sup>53</sup>, which suggested that antibiotic persistence is the result of random  
263 glitches and errors rather than of a specific genetic pathway<sup>54</sup>. Our results provide a new  
264 framework, with quantitative predictions, for understanding antibiotic persistence as a  
265 feature of a disrupted state, displaying the global dynamics of cellular networks far away  
266 from their comfort zone<sup>45</sup>.

267 More generally, the work identifies a regime in which cellular networks under strong  
268 perturbations can be approximated by a large non-linear network that ignores most of the  
269 details of the underlying molecular interactions and for which measurements, such as  
270 specific gene expression, may reflect random dynamics<sup>45</sup>. Our approach suggests that  
271 similar behavior should account for different observations such as the post-antibiotic effect  
272 <sup>55</sup>, and differences in the recovery dynamics from various starvation conditions <sup>56</sup>. Recent  
273 developments in single-bacteria RNAseq<sup>57-59</sup> may enable to further characterize the  
274 disrupted state by identifying a global state of dysregulation.

275 The measurement of universal ageing dynamics in a biological system, as presented in this  
276 work, can be extended to various other cellular systems under stress, such as cells under  
277 anti-cancer drugs, and should be an important tool for predictive biology<sup>60</sup>. The approach  
278 allows distinguishing between two very different regimes of cellular behavior that require  
279 different measurements: a regulated regime, for which the molecular information such as  
280 transcriptomics or proteomics provide insightful mechanistic information, and a disrupted  
281 regime in which cells are closer to a universal behavior similar to that of high dimensional  
282 physical systems, such as ageing and phase transitions.

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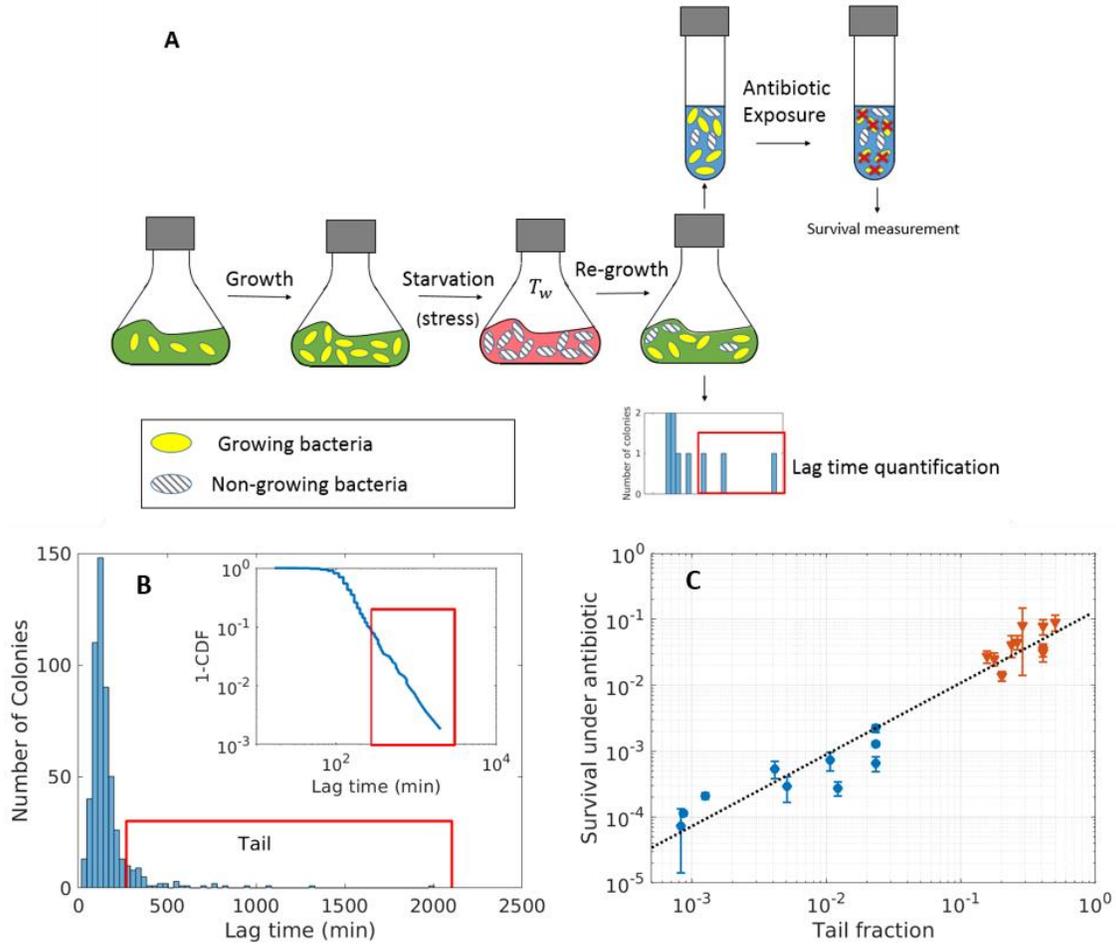
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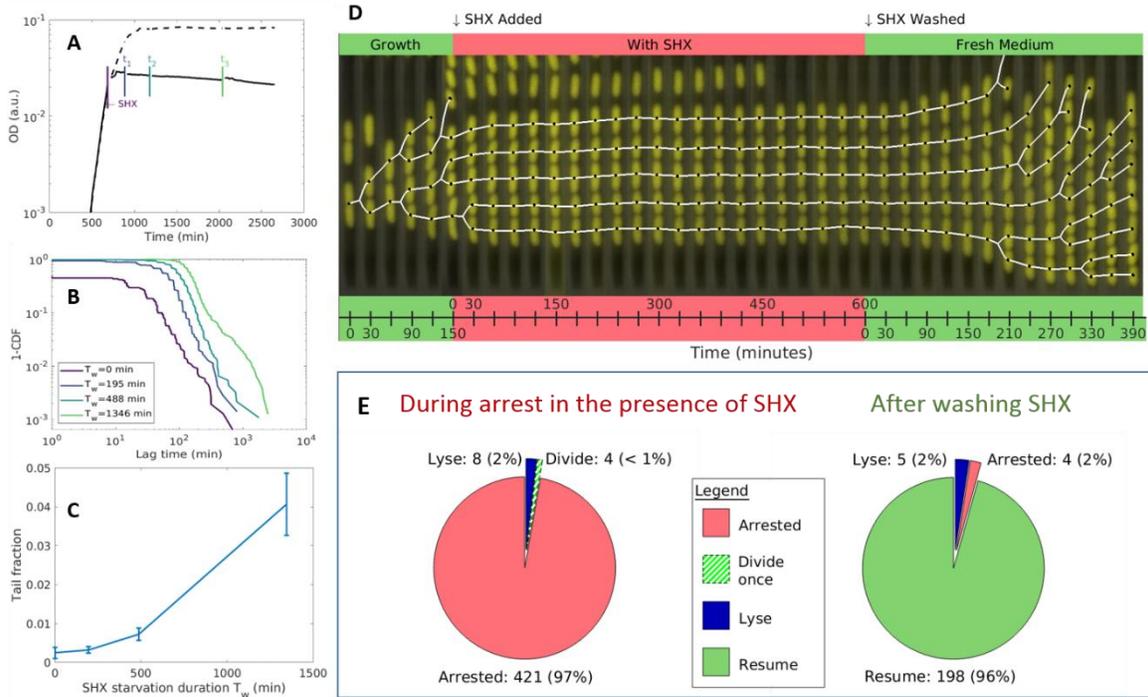


419

420 **Fig. 1 The tail of the lag time distribution correlates with survival under antibiotic treatment.**

421 **(A)** Schematic time course: after a period of growth, the culture is starved for a duration  $T_w$   
 422 (waiting time)– where bacteria arrest their growth – and then re-exposed to nutrients. Single  
 423 bacteria stochastically re-grow after a lag time. If the culture is exposed transiently to antibiotics,  
 424 bacteria that re-grow are killed, whereas non-growing persisters survive. **(B)** Typical distribution  
 425 of the lag time following LB starvation measured by monitoring the appearance of colonies on  
 426 Petri dishes<sup>8</sup> (here  $T_w=1820$  minutes). A tail of colonies appearing long after plating can be seen  
 427 in the red box. Inset: same data replotted as 1- CDF (Cumulative Distribution Function), which  
 428 represents the fraction of bacteria still in the lag phase, and enables better visualization of the tail  
 429 of the distribution. The fraction is one at the end of starvation (all bacteria are growth arrested)  
 430 and decreases to zero as bacteria exit the lag **(C)** The tail fraction of the lag time distribution (here  
 431 above 4.5 h), i.e. the bacteria with a lag time longer than 4.5 h, is predictive for the survival  
 432 fraction under an antibiotic treatment of the same duration. Blue circles: KLY wt- different  $T_w$ . Red  
 433 triangles: KLY<sup>tol</sup> high persistence derivative. Dashed line: linear regression; Pearson correlation:  
 434 0.97,  $p < 10^{-11}$ . Spearman correlation for KLY wt and KLY<sup>tol</sup>, respectively:  $cor=0.87$ ,  $p=0.0012$  and  
 435  $cor=0.69$ ,  $p=0.026$ .

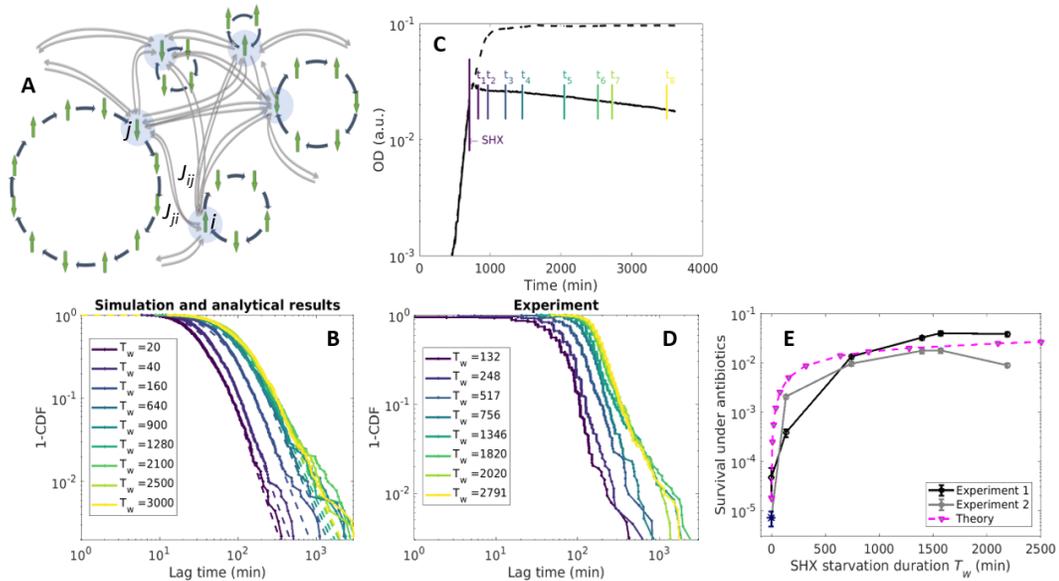
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438 **Fig. 2 Distribution of the lag time following starvation for various durations  $T_w$  of exposure to**  
 439 **serine hydroxamate (SHX). (A)** OD measurements of growth (dashed line) and arrest due to SHX  
 440 exposure (solid line). **(B)** Lag time distribution for different starvation durations. Data are  
 441 presented as 1-CDF (cumulative distribution function) on log scale to better visualize the tail of  
 442 the distribution. **(C)** Total fraction of bacteria in the tail of the distribution shown in (B), with lag  
 443 times above 9.5 hours, versus starvation duration. Error bars: std (n=3). **(D)** Kymograph of  
 444 microfluidics observations of the growth arrest of single KLYR *E.coli* bacteria (yellow fluorescence)  
 445 subjected to SHX and their recovery. During the initial growth phase, bacteria grow and divide in  
 446 the grooves and migrate upwards. After exposure to SHX, growth stops. At  $T_w=600$  minutes, SHX  
 447 was washed and bacteria resumed growth stochastically. The black dots and white lines are guides  
 448 to the eye to enable tracking the same bacterium between frames. **(E)** Quantification of growth  
 449 arrest under SHX in single cells: 97% of cells arrested their growth (1%:one division only; 2% lysis);  
 450 upon SHX washing, 96% resumed growth (see Supplementary Methods). All experiments were  
 451 performed in at least three repeats. Strain: KLY $\Delta$ motA.

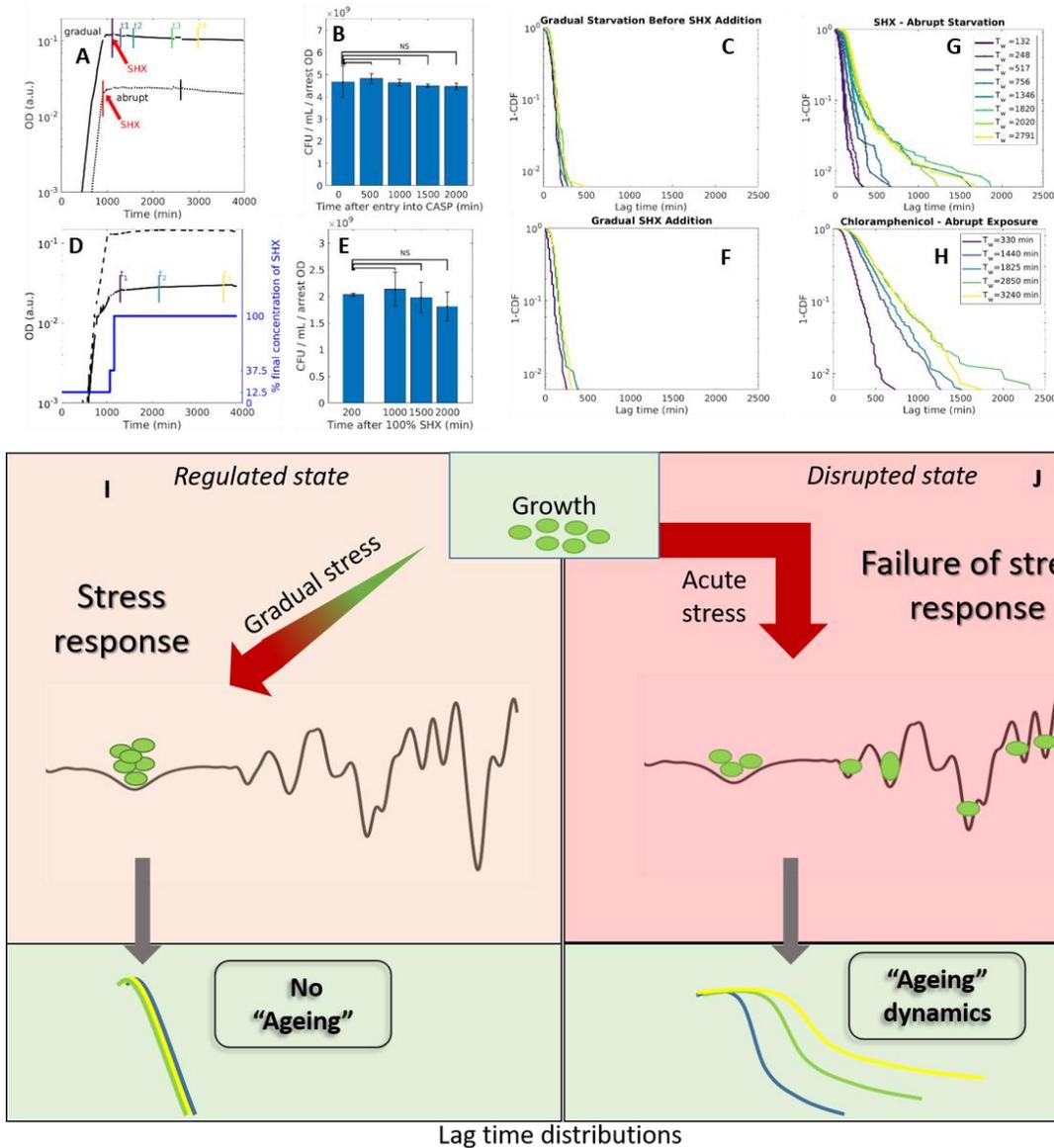
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453

454 **Fig.3 The Randomly Connected Cycles Network (RCCN) model reproduces the ageing dynamics**  
 455 **observed in the experiment (A)** Schematic representation of the random cycles network model:  
 456 cycles of nodes are inter-connected with randomly chosen interaction coupling strengths  $J_{ij}$  (grey  
 457 arrows). The dynamics of the state of each node (spin) in the network is determined by summing  
 458 up on interactions with the connected nodes and external field (Eq. S5). **(B)** Prediction from the  
 459 simulation for the dependence of the distribution of lag times following starvation (here plotted  
 460 as 1-CDF on log-log scale). Different colours represent different  $T_w$  durations. Simulation  
 461 parameters are listed in Table S2. Dashed lines are the analytical results. **(C)**  $OD_{630}$  measurements  
 462 of growth and arrest due to SHX exposure. Dashed line: no SHX. **(D)** Experimental results for the  
 463 distribution of lag times as measured after abrupt exposure to SHX. Note that the lag time  
 464 distribution becomes independent of starvation duration for long enough starvation, as predicted  
 465 by the model. Different colours represent different durations of exposure to SHX and correspond  
 466 to the coloured marks of sampling times in (C). **(E)** Measurements of the survival under 9.5 hours  
 467 of ampicillin treatment during the recovery of SHX starvation versus abrupt SHX starvation  
 468 duration,  $T_w$ . As predicted by the RCCN (Eq.S8) (purple dashed lines), the survival under antibiotics  
 469 first increases sharply with exposure time but saturates at longer times. Different lines represent  
 470 different biological replicates. Strain: KLYR.

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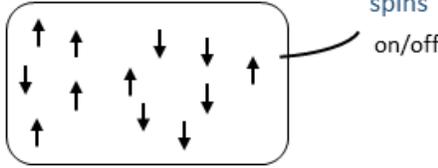
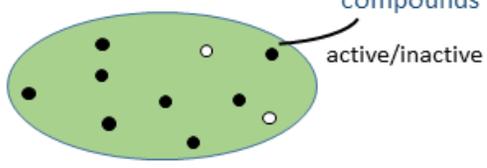
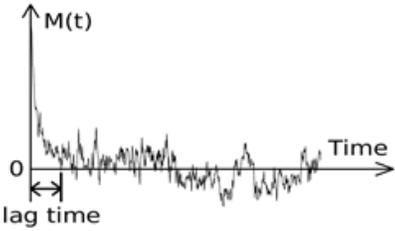
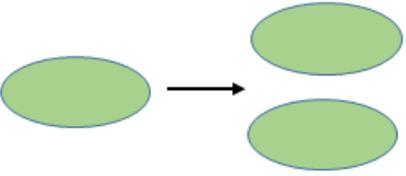


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473 **Fig.4 (A-F) No ageing under gradual starvation. (A-C)** Gradual starvation by nutrient depletion.  
 474 **(A)** OD measurements of bacterial cultures exposed to SHX during exponential growth (acute  
 475 stress – dotted line), or exposed to SHX after gradual starvation by nutrient depletion to stationary  
 476 phase (gradual stress – solid line). **(B)** Viability under gradual starvation. Significance tests over 3  
 477 biological replicates. Differences in viability are non significant (NS). **(C)** Lag time distribution after  
 478 gradual starvation by nutrients depletion. The coloured curves represent different starvation  
 479 durations according to colours in (A). **(D-F)** Gradual starvation by adding SHX gradually in several  
 480 steps. **(D)** During exponential growth, a culture was starved gradually by adding SHX in steps,  
 481 reaching growth-arrest at a low OD (solid line). Dashed line: no SHX addition. Blue line: SHX  
 482 concentration. **(E)** Viability under the gradual SHX starvation. Significance tests over 3 biological  
 483 replicates. Differences in viability are non significant (NS). **(F)** Lag time distribution after adding  
 484 SHX gradually in steps. Strain: KLYR. **(G)** Lag time distribution after abrupt SHX starvation (Fig. 3D  
 485 semi-log scale for comparison). Strain: KLYR. **(H)** Lag time distribution after abrupt

486 chloramphenicol exposure. Strain: MG1655. **(I-J) Schematic illustration of gradual starvation**  
487 **versus acute perturbation.** The black line shows a schematic landscape of the cell's possible  
488 states. **(I)** Gradual starvation leads single bacteria (green) to a regulated response reaching a fixed  
489 point in the cell's network characterized by a narrow distribution of lag times and no ageing. **(J)**  
490 Acute stress results in a disrupted state displaying dynamics of the cell's network similar to ageing  
491 dynamics in physical systems and broad lag time distributions that depend on starvation duration.  
492 Different colours in the lag time distributions (plotted as 1-CDF) at the bottom represent different  
493 stress exposure durations.

494

 <p>Network model</p>	 <p>Bacterium</p>
Interactions parameters between spins	Biochemical interactions between cellular compounds
No external force aligning the spins i.e magnetic field $H = 0$	Nutrients
No magnetization: $\bar{M} = 0$	Growth
External force applied: magnetic field switched on: $H > 0$	Acute stress
Magnetization $\bar{M} > 0$	Growth arrest
<p>Time for <math>M</math> back to 0 (single realization)</p> 	<p>Single cell lag time to restart growth and division</p> 

**Box1:** Analogy between physical ageing in a spin network and ageing of bacteria under acute stress.